

The book cover features a dark blue background with a vertical column of light blue horizontal stripes on the left side. The stripes are evenly spaced and extend across the entire height of the cover. The title 'ENGINEERING MATHEMATICS' is printed in large, white, sans-serif capital letters, centered horizontally and positioned above the authors' names.

ENGINEERING MATHEMATICS

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